

In[45]:= **f[x_] = x^3 * Exp[Sin[x]]**

Out[45]= $e^{\sin[x]} x^3$

In[6]:= **D[f[x], x]**

Out[6]= $3 e^{\sin[x]} x^2 + e^{\sin[x]} x^3 \cos[x]$

In[14]:= **Simplify[D[f[x], {x, 3}]]**

Out[14]= $e^{\sin[x]} (6 + 9 x^2 \cos[x]^2 + x^3 \cos[x]^3 - 9 x^2 \sin[x] - x \cos[x] (-18 + x^2 + 3 x^2 \sin[x]))$

In[12]:= **Expand[(a + b)^13]**

Out[12]= $a^{13} + 13 a^{12} b + 78 a^{11} b^2 + 286 a^{10} b^3 + 715 a^9 b^4 + 1287 a^8 b^5 + 1716 a^7 b^6 + 1716 a^6 b^7 + 1287 a^5 b^8 + 715 a^4 b^9 + 286 a^3 b^{10} + 78 a^2 b^{11} + 13 a b^{12} + b^{13}$

In[15]:= **Integrate[Sin[x], x]**

Out[15]= $-\cos[x]$

In[16]:= **Integrate[Sin[x], {x, 5, 7}]**

Out[16]= $\cos[5] - \cos[7]$

In[17]:= **Integrate[Cos[x^2], x]**

Out[17]= $\sqrt{\frac{\pi}{2}} \text{FresnelC}\left[\sqrt{\frac{2}{\pi}} x\right]$

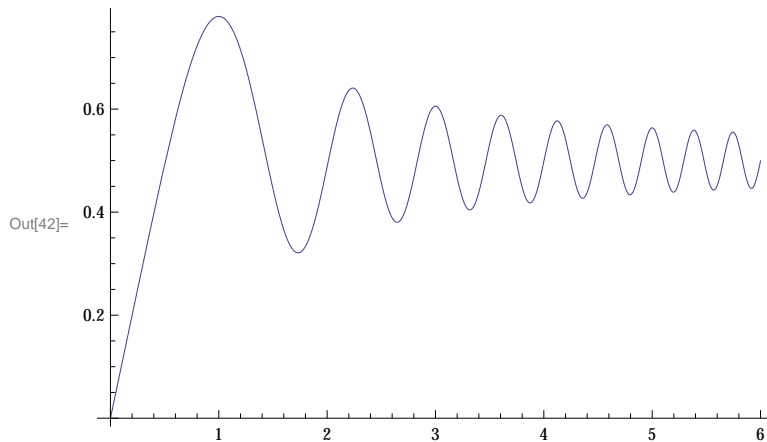
In[36]:= **FresnelC[7.5]**

Out[36]= 0.516018

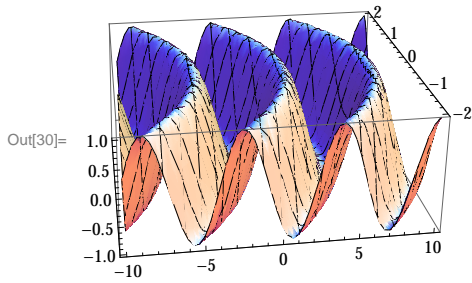
In[37]:= **N[FresnelC[75 / 10], 200]**

Out[37]= 0.5160182501523363463415468169946884004023502840792999798783211591271344749088552:
51168748306017585769451779797390715727730839210360381055450689074226970639597706:
54865906299157048495345150278164909233065

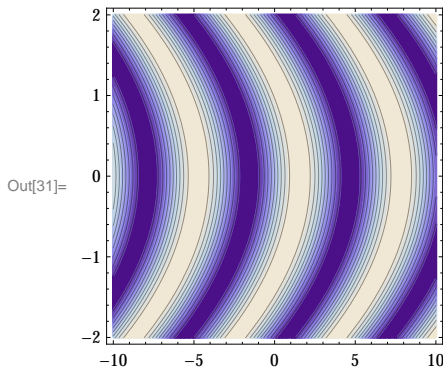
In[42]:= **Plot[FresnelC[x], {x, 0, 6}]**



In[30]:= **Plot3D**[**Sin**[**x** + **y**²], {**x**, -10, 10}, {**y**, -2, 2}]



In[31]:= **ContourPlot**[**Sin**[**x** + **y**²], {**x**, -10, 10}, {**y**, -2, 2}]



In[43]:= **Apart** [(2 * **x** + 3) / ((**x**² - 1) * (2 * **x**² + 6 * **x** + 12))]]

Out[43]=
$$\frac{1}{8(-1+x)} - \frac{1}{16(1+x)} + \frac{-6-x}{16(6+3x+x^2)}$$

In[44]:= **Integrate** [(2 * **x** + 3) / ((**x**² - 1) * (2 * **x**² + 6 * **x** + 12)), **x**]

Out[44]=
$$\frac{1}{160} \left(-6\sqrt{15} \operatorname{ArcTan}\left[\frac{3+2x}{\sqrt{15}}\right] + 20 \operatorname{Log}[1-x] - 10 \operatorname{Log}[1+x] - 5 \operatorname{Log}[6+3x+x^2] \right)$$

In[47]:= **Integrate** [$\frac{1}{8(-1+x)} - \frac{1}{16(1+x)} + \frac{-6-x}{16(6+3x+x^2)}$, **x**]

Out[47]=
$$\frac{1}{160} \left(-6\sqrt{15} \operatorname{ArcTan}\left[\frac{3+2x}{\sqrt{15}}\right] + 20 \operatorname{Log}[-1+x] - 10 \operatorname{Log}[1+x] - 5 \operatorname{Log}[6+3x+x^2] \right)$$

In[48]:= **Integrate**[1 / **Sqrt**[1 + **x**^(1/3)], **x**]

Out[48]=
$$\frac{2}{5} \sqrt{1+x^{1/3}} (8-4x^{1/3}+3x^{2/3})$$

In[53]:= **Integrate**[1 / **Sqrt**[1 + **x**^(1/3)], {**x**, 1, 8}]

Out[53]=
$$\frac{2}{5} (-7\sqrt{2} + 12\sqrt{3})$$